

Time Series Modelling and Forecasting of Consumer Price Index in Ghana

Abstract

The knowledge of economic and financial indicators is the basis of making right decisions and sound judgment with respect to investment and allocation scarce resources. Such important indicators include the consumer price index, which measures the change in the prices paid by households for goods and services consumed. A trigger in the consumer price in Ghana causes inflation which affects the purchasing power of its citizens. Knowledge of the trend of the CPI is crucial in economic planning. The study sought to determine the appropriate time series model for the CPI and use the model to predict the next nine months CPI. The study further sought to determine the type of trend model that characterizes the CPI. The Box-Jenkins methodology was adopted. The results of analysis showed SARIMA(2, 1, 1)(1, 0, 0)₁₂ as most fitted time series model and was used to predict the consumer price index for the next nine months. The S-model was also found to be the appropriate trend for the CPI. The SARIMA (2, 1, 1)(1, 0, 0)₁₂ is recommended for forecasting consumer price index in Ghana.

Keywords: Time series analysis, trend analysis and consumer price index.

1.0 Introduction

Economic and financial indicators are the basis of making a thorough investment assessment as well as making sound judgment concerning the various areas of investments. They are also a source of ignition to the growth of every economy [15]. These indicators have the tendency of influencing the dynamics of the market. Therefore, knowing how to interpret and analyze these indicators is crucial for all investors as they help them to be abreast of both past and current economic situations in order to predict an expectation of the future for our investments [15].

One of the major economic indicators is the consumer price index (CPI). From the resolution concerning consumer price indices released in 2003 by the Seventeenth International Conference of Labour Statisticians convened by the International Labour Organization (ILO), the consumer price index (CPI) is a current social and economic indicator that is constructed to measure changes over time in the general level of prices of consumer goods and services that households acquire, use or pay for consumption. **The CPI actually measures the change in consumer prices over time.** This may be done by measuring the cost of purchasing a fixed basket of consumer goods and services of constant quality and similar characteristics, with the products in the basket being selected to be representative of households' expenditure during a year or other specified period [17].

In Ghana, the consumption or shopping basket (CPI) consists of the following major commodity groups: food and non-alcoholic beverages, alcohol and tobacco, clothing and footwear, fuel & light, housing and utilities, household goods, operations and services, medical care and health

43 expenses, transport and communications, recreation, entertainment, education and cultural
44 services, and miscellaneous goods and services studied by Ghana Economy Watch [7].

45
46 Rising CPI also often leads to the central bank to raise interest rates, tightening money supply,
47 reduce the money supply and other measures to tighten monetary policy, which flow into
48 reduction of capital stock funds for greater returns, often accompanied by high inflation and
49 therefore the stock market decline according to Mei [14]. Mei [14] revealed that CPI is one of the
50 most important economic indicators in any country and it is used for measurement of the rate of
51 inflation, for indexation of public pension benefits and for many policy purposes.

52
53 Inflation is directly calculated from CPI and it is considered to be a major problem in transition
54 economies and thus fighting inflation and maintaining stable prices is the main objective of
55 monetary authorities like Central Bank by Habimana et al. [8]. The consumer price index, CPI,
56 which is probably the best known index number, is an economic indicator of the rate of inflation
57 according to Gordor and Howard [10]. Changes in CPI are used to assess price changes
58 associated with the cost of living. A rising rate means inflation, but economists usually predict an
59 acceptable change of between 1% to 2% by Nketiah and Obeng-Aboagye [15]. Price change
60 beyond 2% means there has been significant inflation and as a result, consumers' purchasing power
61 decreases.

62
63 Investors need to know the trend of the CPI since the knowledge of it will help boost the
64 earnings and the future prospects of their investments. Government, management of institutions
65 and consumers equally need to know the projections of CPI to make useful decisions. This calls
66 for a study to be conducted to formulate time series model for the CPI using data from January
67 1998 to December 2017 and then forecast the monthly and yearly CPI of Ghana using the
68 resulted model. The study will also determine the trend of the CPI using data from March 2013
69 to November 2018. The regional CPI will also be compared using the analysis of variance to
70 check if the differences in CPI among the regions are significant or not.

71
72 **2.0 Methods**
73 A quantitative research method was used to determine the trend of the CPI and specifically, the
74 Box-Jenkins model methodology was adopted in formulating the appropriate model for the CPI.
75 Minitab 16 software was used in analyzing the data.

76
77 **2.1 Trend Analysis**
78 Four trend models as described in Minitab 16 were considered. The trend models considered for
79 the CPI were linear, quadratic, exponential growth model and S-curve model.

80
81 **2.1.1 Linear trend model**
82 The linear trend model is given by $y = b_0 + b_1t + \varepsilon_t$, where b_0 is the value of y when t is zero or
83 the y intercept and b_1 is the change in y for a unit change t .

84
85 **2.1.2 Quadratic trend model**
86 The quadratic trend model is given by $y = b_0 + b_1t + b_2t^2 + \varepsilon_t$. The quadratic trend
87 model accounts for simple curvature in the data.

88

89 **2.1.3 Exponential growth**

90 The exponential growth model is given by $y = b_0 b_1^t \varepsilon_t$. Exponential growth trend model accounts
91 for exponential growth or decay.

92

93

94 **2.1.4 S-curve model**

95 The S-model is given by $y = \frac{10^3}{b_0 + b_1 b_2^t}$. The S-curve model fits the Pearl-Reed logistic trend
96 model. It accounts for the case where the series follows an S-shaped curve.

97

98 In the fitted trend equation, the letters represent the following:

99

➤ y_t is the variable

100

➤ b_0 is the constant

101

➤ b_1 and b_2 are the coefficients

102

➤ t is the value of the time unit

103

104 **2.2 Seasonal Autoregressive integrated moving average models (SARIMA)**

105 Box and Jenkins [4] generalized the autoregressive integrated moving average (ARIMA) model
106 known as Seasonal ARIMA (SARIMA) to deal with seasonality. Seasonal ARIMA (SARIMA)
107 is used when the time series exhibits a seasonal variation. According to Permanasari et al. [16], a
108 seasonal autoregressive notation (P) and a seasonal moving average notation (Q) will form the
109 multiplicative process of SARIMA as $(p, d, q)(P, D, Q)^s$. The subscripted letter 's' shows the
110 length of seasonal period. For example, in a monthly data $s = 12$. The SARIMA as
111 $(p, d, q)(P, D, Q)^s$ in terms of lag polynomials is given below [13]:

112

$$\Phi_p(L^s) \varphi_p(L) (1-L)^d (1-L^s)^D y_t = \Theta_q(L^s) \theta_q(L) \varepsilon_t$$

113

114 **2.2.1 Data**

115 In this study, past monthly national consumer price indices from March 2013 to November 2018
116 of Ghana ("Monthly Statistical bulletin of Ghana"). A time series model would be formulated for
117 each period. Based on this data, time series forecasting will be conducted to forecast CPI up to
118 May 2019.

119

120 **2.2.2 Box Jenkins Methodology**

121 Box and Jenkins developed a systematic methodology for identifying and estimating models that
122 could incorporate both approaches and this makes Box-Jenkins models a powerful class of
123 models by Dobre et al. [6]. The Box-Jenkins methodology includes model data preparation,
124 model selection, parameter estimation, model diagnosis and forecasting.

125

126 **2.2.3 Data Preparation**

127 Data preparation involves transformations and differencing. The first step in data preparation is
128 to check whether the series is stationary or not. If the series is non-stationary, transforming the
129 series by using square root, logarithm, and so on can help stabilize the variance. The data can
130 also be differenced to achieve stationarity. The Augmented-Dickey Fuller (ADF) test is performed

131 to confirm the stationarity or otherwise of the series. If the calculated value is greater than the t-value
132 at α level of significance, then the CPI has a unit root problem. Or for a smaller p-value, the null
133 hypothesis is rejected at α level of significance, meaning that the CPI has no unit root problem.

134

135 **2.2.4. Model selection**

136 Model selection is based on the use of graphs based on the transformed or differenced data to
137 identify potentially ARIMA processes. The major tools used in the identification phase are plots
138 of the series, correlograms of auto correlation (ACF), and partial autocorrelation (PACF).
139 Arriving at the right model is not always straightforward but also a good deal of experimentation
140 with alternative models. Among the competing models, the one with the least Bayesian
141 information criterion (BIC) is selected. Minitab does not display BIC value but rather the mean
142 square error (MS) of the residuals. The mean square error is also a measure of the accuracy of
143 the fitted model. Smaller values of the mean square error usually indicate a better fitting model.

144

145 **2.2.5 Parameter estimation**

146 Parameter estimation means finding the values of the model coefficient that gives the best fit to
147 the data. Minitab version 16.0 is used to estimate the values of the coefficients. To determine
148 whether the association between the response variable (CPI) and each term in the model is
149 statistically significant, compare the p-value for the term to the significance level to assess the
150 null hypothesis. The null hypothesis is that the term is not significantly different from 0, which
151 indicates that no association exists between the term and the response. A significance level of
152 $\alpha = 0.01$ is used. If $p\text{-value} \leq \alpha$: The term is statistically significant. If the p-value is less than or
153 equal to the significance level, you can conclude that the coefficient is statistically significant.

154 **But if the p-value > α : the term is not statistically significant and if the p-value is greater than the**
155 **significance level, conclude that the coefficient is statistically significant.**

156

157 **2.2.6 Model diagnosis**

158 Diagnosis of the model is a complementary **step to select the best model** from class of competing
159 models by Alonso and Garcia-Martos [2]. Model diagnosis involves testing to find out if there is
160 no violation of the assumptions of the developed model. If there is violation in any of the
161 assumptions, then it calls for selecting a new model. The adequacy of the model is checked by
162 analyzing the residuals. If the residuals are white noise we accept the model, else we go to the
163 first step again and start over. The ACF and PACF together with modified Box-Pierce would be
164 used to determine the validity of the model. For a well fitted model, the residuals should be
165 uncorrelated (white noise).

166

167 **2.3 Forecasting with the ARIMA and SARIMA Models**

168 The developed model should be able to forecasting the time series with minimal forecasting
169 errors. According to Guerrero, 2003 a model fitting is defined as the sum of the residuals squares
170 divided by the sample size. Its object is to measure the model's capacity to reproduce the sample
171 data (i.e. to verify how similar the modeled series and the actual series are).

172

173 **3.0 Results and Discussion**

174 The data for consumer price indices from March 2013 to November 2018 from Ghana Statistics
 175 Service (GSS) was used. The data was input into Minitab 16 to generate the required statistics,
 176 models and charts.

177
 178 **3.1 Descriptive Statistic**

179 The table below is the descriptive statistic of the CPI of Ghana.

180 **Table 1: Descriptive Statistics of CPI**

181 Variable	N	Mean	SE Mean	StDev	Minimum	Maximum	Q1	Median	Q3	Range
182 CPI	69	165.5	4.48	37.24	108.00	224.20	130.60	168.00	200.00	116.20

183
 184 From table 1 above, the mean of the sixty-nine (69) data point was 165.5 and the standard error
 185 of the mean (SE Mean) was 4.48. The standard deviation (StDev) was 37.24 with minimum and
 186 maximum values as 108.00 and 224.20 respectively. The range of the CPI was 116.20. The table
 187 further revealed that 25% of the CPI were below 130.60 and above 200.00, 50% were below and
 188 above 168.00.

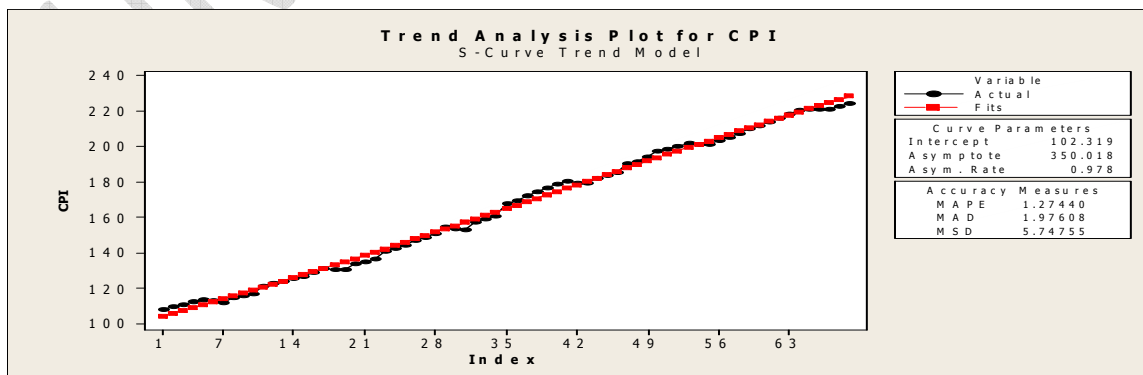
189
 190 **3.2 Trend of CPI**

191 The four trend models which had already been discussed were linear, quadratic, growth curve
 192 model and S-curve. Table 2 below had the four trend models as well as their coefficients and
 193 measures of accuracies.

194
 195 **Table 2: Trend models**

196	Linear model	Quadratic model	Exponential model	S-model
197 b_0	100.505	101.20	107.638	2.857
198 b_1	1.851	1.793	1.012	6.916
199 b_2	*	8.35×10^{-4}	*	0.978
200 MAPE	1.486	1.454	2.011	1.274
201 MAD	2.252	2.227	3.522	1.976
202 MSD	7.402	7.314	21.329	5.748

203
 204 **In table 2**, among the competing trend models, the S-model seemed appropriate as it had the
 205 lowest measures of accuracy. The maximum absolute percentage error (MAPE) was 1.274, the
 206 mean absolute deviation (MAD) was 1.976 and the mean square deviation (MSD) was also
 207 5.748.
 208



210 **Figure 1: The Trend analysis plot for CPI**

211

212 Figure 1 is the trend analysis plot for CPI. The plot portrayed the s-model with intercept 102.319,
213 asymptote 350.018 and asymptotic rate 0.978. The trend equation established using the
214 coefficients of the s-model in table 2 above was

$$y = \frac{10^3 \quad 215}{2.857 + 6.916(0.978)^t}$$

216

217

218 **3.3 Test for Stationarity**

219 The graph in figure 1 above, clearly indicates the CPI has no constant mean and variance
220 meaning that it is non-stationary. To test for the presence of an intercept and a trend, the ADF-
221 test is used. The result of the ADF-test is shown in the table 3 below.

222

223 **Table 3: Result of ADF-test on the CPI**

	t-statistics	P-value
ADDF-test statistics	-3.057	0.125
Test critical values: 1%	-4.108	
5%	-3.482	
10%	-3.169	

229

230 From table 3 above, the ADF-test statistic value is -3.057. The test critical values at 1%, 5% and
231 10% are -4.108-3.482 and -3.169 respectively. Since the test statistic value (-3.057) is greater
232 than the critical values at 1%, 5% and 10% respectively, the test confirms the presence of a trend
233 and thus, the CPI is non-stationary. So the CPI needs to be differenced.

234 **Table 4: Result of ADF-test on differenced CPI**

	t-statistics	P-value
ADDF-test statistics	-4.382	0.004
Test critical values: 1%	-4.116	
5%	-3.485	
10%	-3.171	

240

241 After differencing the CPI, a further test indicates that the CPI has no unit root problem and the
242 result is shown in table 4 above.

243

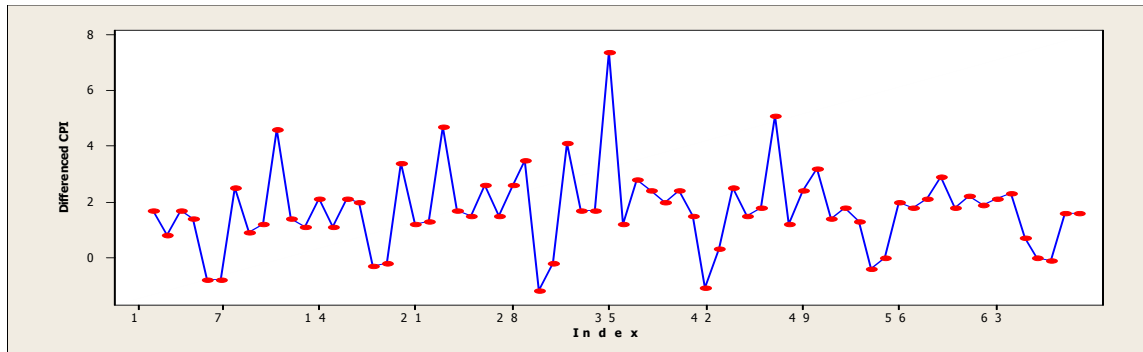


Figure 2: Plot of the differenced CPI

The graph in figure 2 above is the plot of the differenced CPI when appears to have constant mean and variance as confirmed by the ADF-test above.

3.3 ARIMA/SARIMA Modeling

The Minitab software was used to formulate three tentative SARIMA models. The results are shown in table 5 below.

Table 5: Tentative SARIMA models

SARIMA Structure	Type	Coefficients of parameters	P-value	MSE
$(1,1,1)(1,0,0)_{12}$	AR 1	0.980	0.000	0.549
	SAR 12	0.922	0.000	
	MA 1	0.898	0.000	
$(2,1,1)(1,0,0)_{12}$	AR 1	0.6507	0.001	0.546
	AR 2	0.2582	0.054	
	SAR 12	0.9715	0.000	
	MA	0.7584	0.000	
$(1,1,1)(1,0,1)_{12}$	AR 1	0.9810	0.000	0.552
	SAR 12	0.8902	0.000	
	MA 1	0.8999	0.000	
	SMA 12	0.0041	0.980	

The three tentative SARIMA models formulated were $(1,1,1)(1,0,0)_{12}$, $(2,1,1)(1,0,0)_{12}$ and $(1,1,1)(1,0,1)_{12}$ as shown in table 5. The model with the least mean square error is $(2,1,1)(1,0,0)_{12}$ and was deemed appropriate for forecasting the CPI of Ghana for the next eight (8) months. The coefficients of the SARIMA $(2,1,1)(1,0,0)_{12}$ are significantly different from zero at 1% level of significance.

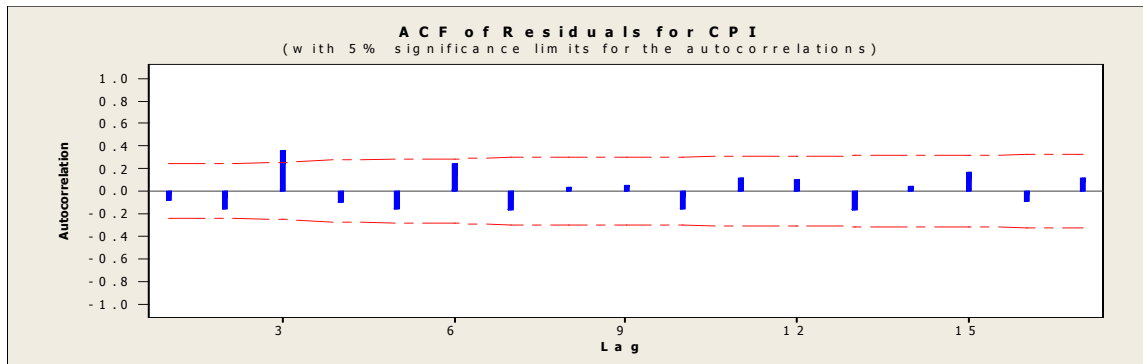
Table 6: Modified Box-Pierce (Ljung-Box) Chi-Square statistic

Lag	12	24	36	48
Chi-Square	16.2	31.2	42.9	44.4

279	DF	8	20	32	44
280	P-Value	0.040	0.053	0.094	0.454

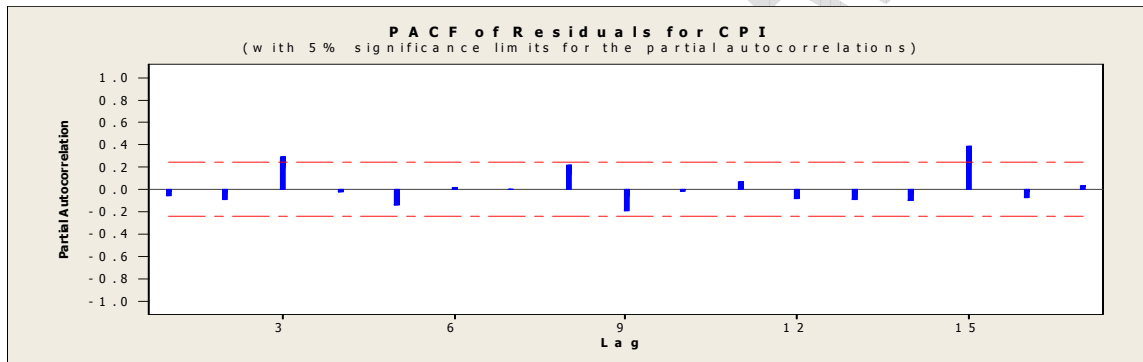
281
 282 Table 6 showed the results of the Ljung-Box statistics. The Ljung-Box statistics at lags 12, 24,
 283 36 and 48 were 16.2 31.2, 42.9 and 44.4 respectively. The Ljung-Box statistics give non-
 284 significant p-values indicating that the residuals appeared to be uncorrelated at 1% level of
 285 significance.

286



287
 288 **Figure 3: ACF of residuals for CPI**

289



290
 291 **Figure 4: PACF of residuals for CPI**

292 The residual autocorrelations and partial autocorrelations supported the view that the residuals
 293 are uncorrelated at 1% and the spikes at lag 3 of the ACF in figure 3 and lags 3 and lags 15 in
 294 figure 4 are as a result of randomness in the CPI.

295

296 3.4 Forecasting with SARIMA Model

297 ARIMA models are basically developed to forecast the corresponding variable. There are two
 298 types of forecasts: sample period forecasts and post sample period forecasts. The former is used
 299 to develop confidence interval in the model and the latter to generate genuine forecasts for
 300 planning and other purposes.

301 3.4.1 In-sampling Forecast

302 The sample period forecasts were obtained by simply plugging the actual values of the
 303 explanatory variables in the formulated model $(2,1,1)(1,0,0)_{12}$. The forecast values together with
 304 the lower confidence limits (LCL) and the upper confidence limits (UCL) constructed at 95%
 305 had been displayed in table 7 below.

306

307 **Table 7: In-sampling forecast of the CPI**

308	Period	Forecast	LCL	UCL	Actual
309	18-Mar	213.825	212.376	215.274	214.100
310	18-Apr	216.833	214.891	218.775	216.000
311	18-May	218.023	215.528	220.518	218.100
312	18-Jun	219.635	216.614	222.655	220.400
313	18-Jul	220.765	217.216	224.313	221.100
314	18-Aug	220.254	216.180	224.328	221.100
315	18-Sep	220.140	215.542	224.739	221.000
316	18-Oct	221.978	216.856	227.100	222.600
317	18-Nov	223.629	217.986	229.272	224.200

318
 319 **In table 7**, the forecast errors which are the differences between the actual and the forecast values
 320 were very minimal, that is, the predicted values are very close to the actual values and this
 321 indicates the reliability of the model.

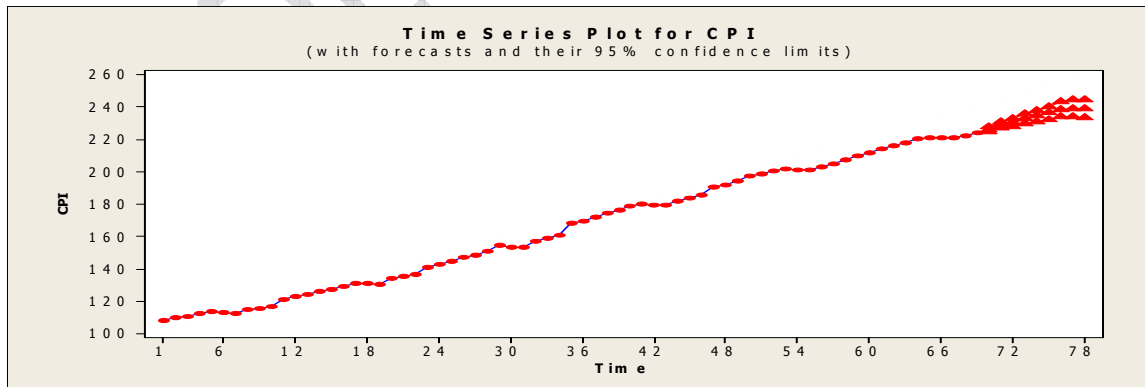
322
 323 **3.4.2 Post Sample Forecast**

324 The main objective of developing a SARIMA model for a variable is to generate post sample
 325 period forecast.

326
 327 **Table 8: Forecasts of the CPI**

328	Period	Forecast	LCL	UCL
329	18-Dec	226.184	224.734	227.633
330	19-Jan	228.926	226.984	230.868
331	19-Feb	230.611	228.116	233.105
332	19-Mar	232.687	229.667	235.708
333	19-Apr	234.477	230.929	238.025
334	19-May	236.465	232.391	240.539
335	19-Jun	238.651	234.052	243.250
336	19-Jul	239.286	234.164	244.408
337	19-Aug	239.245	233.602	244.888

338
 339



340
 341 **Figure 5: Plot of CP with forecast and their 95% confidence limits**

342 From table 8 above, the forecast of the CPI of Ghana for the next nine months from December
 343 2018 to August 2019 provided there are no policy interventions or shocks in the economy. The

344 forecast values are increasing in magnitude. Figure 5 above is the plot of the CPI with the
345 forecasts and their 95% confidence limits.
346

347 **3.5 Conclusion**

348 The most appropriate SARIMA model for forecasting the CPI using data from March 2013 to
349 November 2018 is the SARIMA $(2,1,1)(1,0,0)_{12}$. This model has been shown to adequately
350 explain the variation in the monthly CPI. The model is also used to forecast the CPI for the next
351 nine months. It is recommended for forecasting the CPI of Ghana for the next twelve months.
352 The trend of the CPI has an S-model.
353
354

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APPENDIX

Table 1:DATA USED IN THE ANALYSIS

Month	CPI	Month	CPI
13-Mar	108.0	16-May	176.4
13-Apr	109.7	16-Jun	178.8
13-May	110.5	16-Jul	180.3
13-Jun	112.2	16-Aug	179.2
13-Jul	113.6	16-Sep	179.5
13-Aug	112.8	16-Oct	182.0
13-Sep	112.0	16-Nov	183.5
13-Oct	114.5	16-Dec	185.3
13-Nov	115.4	17-Jan	190.4
13-Dec	116.6	17-Feb	191.6
14-Jan	121.2	17-Mar	194.0
14-Feb	122.6	17-Apr	197.2
14-Mar	123.7	17-May	198.6
14-Apr	125.8	17-Jun	200.4
14-May	126.9	17-Jul	201.7
14-Jun	129.0	17-Aug	201.3
14-Jul	131.0	17-Sep	201.3
14-Aug	130.7	17-Oct	203.3
14-Sep	130.5	17-Nov	205.1
14-Oct	133.9	17-Dec	207.2

14-Nov	135.1	18-Jan	210.1
14-Dec	136.4	18-Feb	211.9
15-Jan	141.1	18-Mar	214.1
15-Feb	142.8	18-Apr	216
15-Mar	144.3	18-May	218.1
15-Apr	146.9	18-Jun	220.4
15-May	148.4	18-Jul	221.1
15-Jun	151.0	18-Aug	221.1
15-Jul	154.5	18-Sep	221
15-Aug	153.3	18-Oct	222.6
15-Sep	153.1	18-Nov	224.2
15-Oct	157.2		
15-Nov	158.9		
15-Dec	160.6		
16-Jan	168.0		
16-Feb	169.2		
16-Mar	172.0		
16-Apr	174.4		

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