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4 **Oblique Propagation of Nonlinear Solitary Waves in**
5 **Magnetized Plasma with Nonextensive Electrons**
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11 **ABSTRACT**
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In this paper, the properties of obliquely propagating nonlinear solitary waves in a plasma system consisting of warm ions and nonextensively distributed electrons have been investigated. The nonlinear Korteweg-de-Vries (KdV) equation and its solution have been derived by using reductive perturbation method. Effect of ion temperature on the propagation of solitary waves has been investigated numerically. The critical value of nonextensivity at which solitary structures transit from negative to positive potential is found to shift to the lower value in the presence of finite temperature. The numerical results are interpreted graphically. The results may be useful for understanding the wave propagation in laboratory and space plasmas where magnetic field is present.

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14 *Keywords: Magnetized plasma, q-nonextensive distribution, reductive perturbation method,*
15 *nonlinear waves and soliton*
16

17 **1. INTRODUCTION**

18 The nonlinear wave structures have provided a fascinating research field for plasma
19 physics community due to their importance in explaining various laboratory, space and
20 astrophysical atmosphere [1-3]. Nonlinear structures like solitons, shock waves, double
21 layers etc. are observed both in space and laboratory. Out of them, solitons have become a
22 main source of interest for researchers from across the globe owing to their rich physical
23 insight underlying the various nonlinear phenomena. Solitons are stable nonlinear entities
24 that arise due to delicate balance of nonlinearity and dispersion. Nonlinear wave structures
25 in various plasma models and compositions have been investigated theoretically and
26 observationally for the last half century [4-8]. There exists a strong magnetic field on the
27 surface of fast rotating neutron stars and in the pulsar magnetosphere [9-10] which has a
28 significant impact on the nonlinear wave propagation. Considering this, an immense interest
29 has been developed in researchers to study nonlinear propagation of ion-acoustic waves in
30 magnetized plasmas [11-16]. Dubouloz et al [17] reported that the electric field spectrum
31 produced by an electron-acoustic solitary wave (EASW) is not significantly modified by the
32 presence of a magnetic field. Mace and Hellberg [18] studied the influence of the magnetic
33 field on the features of the weakly nonlinear electron-acoustic waves in magnetized plasma.
34 They predicted the existence of negative potential structures in both magnetized and
35 unmagnetized cases. Devanandhan et al [19] have investigated EASWs in two component
36 magnetized plasma and predicted negative solitary potential structures. They further showed
37 that with the increase in magnetic field, the soliton electric field amplitude increases while the
38 soliton width and pulse duration decreases. The properties of small amplitude wave in
39 magnetized plasma are investigated by Pakzad and Javidan [20]. They observed both

40 rarefactive and compressive solitons whose profiles became narrower with the application of
41 stronger magnetic fields.

42 The deviations of electron populations from their thermodynamic equilibrium have been
43 reported by many space plasma observations. A nonextensive distribution is the most
44 generalized distribution to study the linear and nonlinear properties of solitary waves in
45 different plasma systems, where the non-equilibrium stationary states exist. The
46 nonextensive statistical mechanics has gathered immense attention over the last two
47 decades. This mechanics is based on the deviations of Boltzmann-Gibbs-Shannon (B-G-S)
48 entropy measures first recognized by Renyi [21] subsequently proposed by Tsallis [22]. The
49 Maxwellian distribution in Boltzmann-Gibbs statistics is valid universally for the macroscopic
50 ergodic equilibrium systems. While for systems having long-range interactions, the complete
51 description of the features becomes inadequate with Maxwellian distribution. The parameter
52 q that underpins the generalized entropy of Tsallis. Further, q is associated to the underlying
53 dynamics of the system and measures the amount of its nonextensivity. Generalized entropy
54 of whole is greater (smaller) than the entropies of subsequent parts if $q < 1$ i.e.
55 superextensivity ($q > 1$ i.e. subextensivity). The nonextensive statistics has found applications
56 in a large quantity of astrophysical and cosmological atmospheres such as stellar polytropes
57 [23], the solar neutrino problem [24], peculiar velocity distributions of galaxies [25] and
58 systems with long range interactions and also fractal-like space-times. Different types of
59 waves, viz. ion acoustic (IA) waves, electron-acoustic (EA) waves, or dust-acoustic (DA)
60 waves, in nonextensive plasmas are investigated by many researchers considering one or
61 two components to be nonextensive [26-34]. Ferdousi et al [35] studied the properties of
62 small amplitude ion-acoustic solitary waves (IASWs) in three component magnetized
63 electron-positron-ion plasma. They considered Tsallis distributed electrons and cold ions for
64 their analysis and discussed the effects of magnetic field and electron and positron
65 nonextensivity on the propagation of solitary waves. However, in the present investigation,
66 we aim at studying the effect of ion temperature on the obliquely propagating solitary waves
67 in two component magnetized plasma system with nonextensive distributed electrons. The
68 paper is organized as follows: in Sec. 2, the basic equations governing the plasma dynamics
69 and the derivation of Korteweg-de Vries (KdV) equation is given. In Sec. 3, we present the
70 numerical analysis and discussion of the results. Finally, we conclude the paper in Sec. 4.

71 72 2. BASIC EQUATIONS AND NONLINEAR ANALYSIS

73 Let us consider the homogeneous magnetized plasma containing q -nonextensive electrons
74 and stationary warm ions. The external static magnetic field is assumed to point in the z -
75 direction i.e. $B = B_0 \hat{z}$. The dynamics of the propagation of waves in such magnetized
76 plasma is governed by the following set of normalized equations:

$$77 \quad \frac{\partial n}{\partial t} + \nabla \cdot (nu) = 0 \quad (1)$$

$$78 \quad \frac{\partial u}{\partial t} = (u \cdot \nabla)u = -\nabla \phi - \omega_0 (u \times \hat{z}) - \frac{5}{3} \frac{\sigma}{n^{1/3}} \nabla n \quad (2)$$

$$79 \quad \nabla^2 \phi = n_e - n \quad (3)$$

80
81 where n and u are the ion number density and ion fluid velocity normalized to equilibrium
82 plasma density n_0 and ion acoustic speed $C_s = (T_e/m)^{1/2}$, T_e is the electron temperature and m
83 is the mass of positively charged ions, respectively. ϕ is the electrostatic wave potential
84 normalized to T_e/e , where e is the magnitude of electron charge and $\sigma = T_i/T_e$ with T_i being the
85 ion temperature. In this plasma model, ion plasma period $\omega_p^{-1} = (m/4\pi n_0 e^2)^{1/2}$, the Debye

86 length $\lambda_D = (T_e/4\pi n_0 e^2)^{1/2}$ and ion cyclotron frequency is given by $\omega_c = (eB_0/m\omega_p)$. The number
 87 density of electron fluid with nonextensive distribution is given by:

$$88 \quad n_e = \left(1 + (q-1)\phi\right)^{\frac{(q+1)}{2(q-1)}} \quad (4)$$

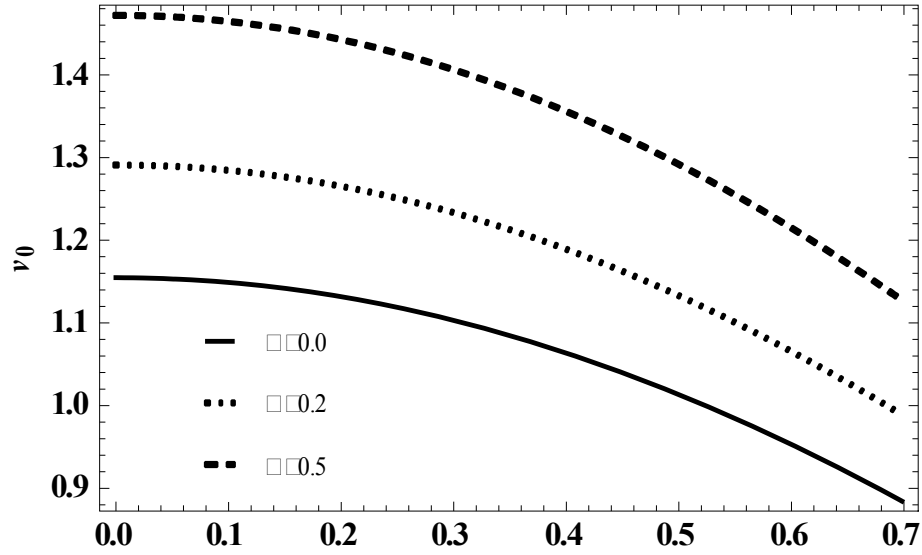
89 where q is the nonextensivity parameter. The electron distribution reduces to the well-known
 90 Maxwell Boltzmann distribution for the extensive limiting case q approaches to 1 [34]. In
 91 transformations given by Gardner and Morikawa [36] put $\alpha=1/2$ the stretched coordinates
 92 becomes $\xi = \varepsilon^{1/2}(l_x x + l_y y + l_z z - v_0 t)$, $\tau = \varepsilon^{3/2} t$. Here v_0 is the linear phase velocity and ε is a small
 93 parameter. l_x, l_y, l_z are the direction cosines of the wave vector with respect to the x, y and z
 94 axes respectively. The perturbed quantities are expanded in power series of ε as follows:
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$$97 \quad \begin{aligned} n &= 1 + \varepsilon n^{(1)} + \varepsilon^2 n^{(2)} + \varepsilon^3 n^{(3)} + \dots \\ u_{x,y} &= 0 + \varepsilon^{\frac{3}{2}} u_{x,y}^{(1)} + \varepsilon^2 u_{x,y}^{(2)} + \varepsilon^{\frac{5}{2}} u_{x,y}^{(3)} + \dots \\ u_z &= 0 + \varepsilon u_z^{(1)} + \varepsilon^2 u_z^{(2)} + \varepsilon^3 u_z^{(3)} + \dots \\ \phi &= 0 + \varepsilon \phi^{(1)} + \varepsilon^2 \phi^{(2)} + \varepsilon^3 \phi^{(3)} + \dots \end{aligned} \quad (5)$$

98 Now using the number density of electron fluid given by equation (4), stretching coordinates
 99 ξ and τ and the expansions (5) into (1)-(3). Comparing the coefficients of lowest order of ε
 100 i.e. $\varepsilon^{3/2}$, we get the linear dispersion relation which is given by the following expression.
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$$103 \quad v_0^2 = \frac{l_z^2}{c_1} \left[1 + \frac{5}{3} \sigma c_1 \right] \quad (6)$$

104 where $c_1 = (q+1)/2$ and the phase velocity depends upon the ion to electron temperature ratio
 105 σ , the strength of nonextensivity q and obliqueness of propagation γ . It may be noted that in
 106 the limit $\sigma \rightarrow 0$, our expression of phase velocity becomes exactly similar to that derived by
 107 Ferdousi et al [35] for $\mu_p = 0$. Mathematical relation (6) shows that phase velocity increases
 108 with ion to electron temperature ratio σ and decreases with non-extensive parameter (q) for
 109 all ranges of q . The q -dependence of phase velocity comes from the factor c_1 in the
 110 expression (6). Similar kind of behavior has been observed by Ferdousi et al [35], Akhtar et
 111 al [28] and Sahoo et al [37] in their respective researches. To investigate the effect of ion
 112 temperature, figure 1 shows the typical variation of the phase velocity v_0 with respect to
 113 angle of propagation γ for three different values of $\sigma = T_i/T_e$. It is observed that wave phase
 114 velocity decreases with angle between the direction of the wave propagation vector k and
 115 the external magnetic field B_0 . The decrease of v_0 with γ also becomes clear from the
 116 expression (6) where $v_0 \propto \sqrt{\cos \gamma}$ and becomes zero for $\gamma = 90^\circ$. This decreasing trend of
 117 v_0 with γ is similar to that observed by Misra and Wang [38]. In order to investigate the
 118 electrostatic propagation, we consider small oblique angle. From the figure 1, it becomes
 119 clear that the phase velocity increases with increase in the temperature ratio σ . Hence ion
 120 temperature significantly effect the dynamics of given plasma system. Further, the wave
 121 phase velocity is found to be independent of the magnetic field strength and decreases with
 122 nonextensivity q (similar to the observations of Ferdousi et al [35]).
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125
126 **Fig.1. Variation of wave phase velocity (v_0) with angle of propagation (γ) for three**
127 **values of ion temperature σ with $q=0.5$.**

128
129 Going to the next higher order of ϵ i.e. ϵ^2 and by doing algebraic manipulations, we get the
130 following Korteweg-de Vries (KdV) equation (7) in which we have replaced $\phi^{(1)}$ with ϕ
131 for simplicity.

$$132 \quad \frac{\partial \phi}{\partial \tau} + A \phi \frac{\partial \phi}{\partial \xi} + B \frac{\partial^3 \phi}{\partial \xi^3} = 0 \quad (7)$$

133 where A is non-linear and B is dispersion coefficients and are given as:

$$134 \quad A = l_z \sqrt{c_1} \sqrt{1 + \frac{5}{3} \sigma c_1} \left[\frac{3}{2} - \left[\frac{5\sigma}{18} + \frac{c_2}{c_1^3} \right] \left[\frac{c_1}{1 + \frac{5}{3} \sigma c_1} \right] \right] \quad (8)$$

$$135 \quad B = \frac{1}{2} \frac{l_z}{c_1 \sqrt{c_1} \sqrt{1 + \frac{5}{3} \sigma c_1}} \left[1 + \left[\frac{1 - l_z^2}{\omega_0^2} \right] \left[1 + \frac{5}{3} \sigma c_1 \right]^2 \right] \quad (9)$$

136
137 where $c_2 = (q+1)(3-q)/8$ and in the the limit $\sigma \rightarrow 0$, our expressions of nonlinear and dispersion
138 coefficients A and B become exactly similar to that derived by Ferdousi et al [35] for $\mu_p = 0$
139 and $\mu_e = 1$. The stationary solitary wave solution of Eq. (7) is directly given by

$$141 \quad \phi = \phi_0 \left[\sec h \left(\frac{\eta}{\delta} \right) \right]^2 \quad (10)$$

142
143 where the amplitude ϕ_0 and width δ of the soliton are given by $\phi_0 = 3u_0/A$ and $\delta = (4B/u_0)^{1/2}$
144 and here $\eta = \xi - u_0 \tau$. From the expressions of A and B (Eqns. (8) and (9)), it is found that
145 the amplitude of the soliton depends on the ion and electron temperature ratio σ and

146 independent of magnetic field. On the other hand, the width of the soliton depends on the
 147 strength of external magnetic field.

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3. RESULTS AND DISCUSSION

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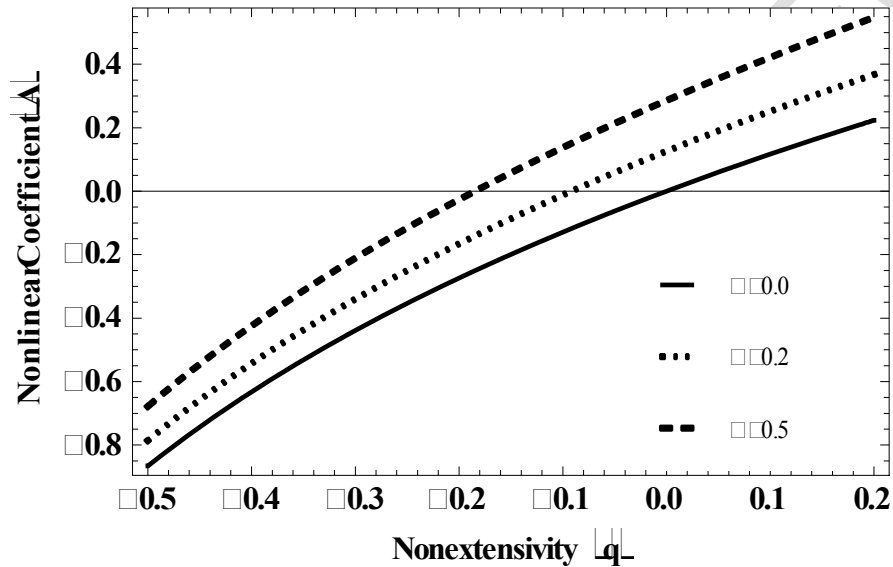
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We have investigated the effects of ion temperature on the nonlinear wave propagation of solitary waves in two component magnetized plasma. To describe the nonlinear propagation of the waves, we have derived a KdV equation (7) and obtained solitary wave solution (10). Depending upon the value of nonlinear coefficient A , the solitary wave might be associated with positive or negative potentials. Equation (8) indicates that A is dependent on parameters $q, \sigma, l_z = \cos(\gamma)$ which define the nature of solitary waves. We have concentrated our investigation to study the effect of ion temperature.



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Fig.2. Variation of nonlinear coefficient (A) with nonextensivity q for for three values of ion temperature σ with $\gamma=30^\circ$.

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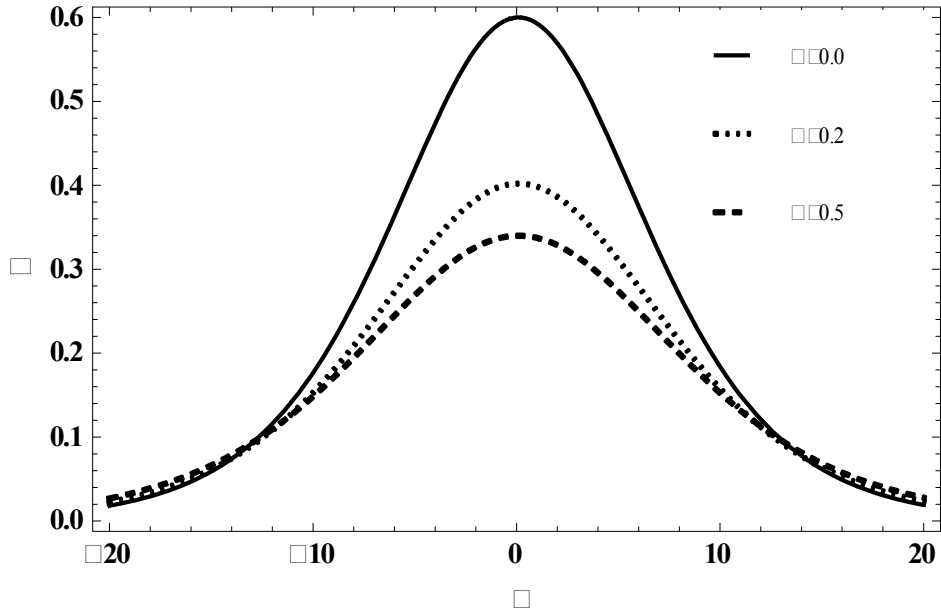
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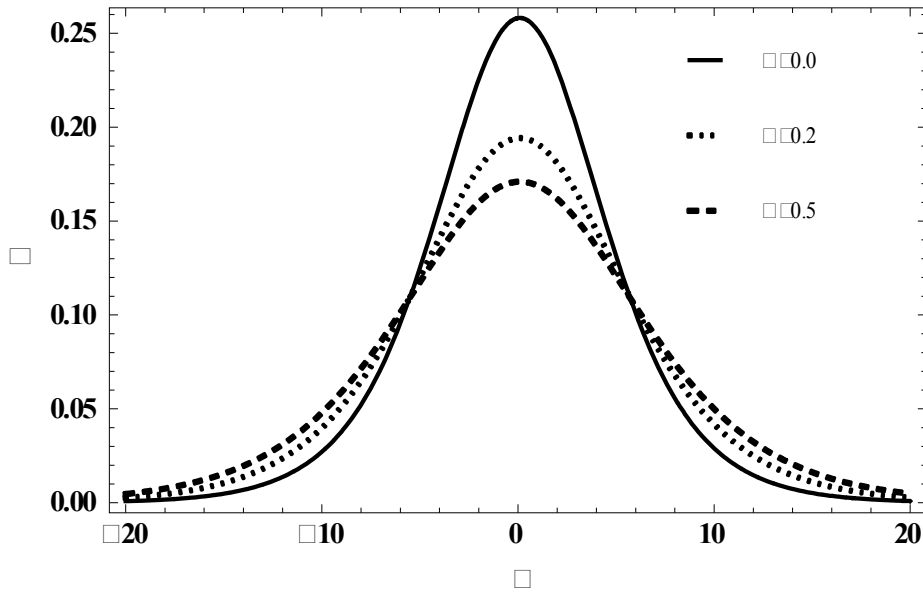
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The nonlinear coefficient (A) as a function of nonextensivity (q) is displayed in Figure 2 for three different values of ion temperature σ . A transition from negative to positive potential structures results with increase in non-extensive parameter (q). A negative critical value q_c is obtained for a fixed set of parametric values. We observe that at $q > q_c$, positive (hump shape or commonly known as compressive soliton) solitary waves exist, whereas at $q < q_c$, negative (dip shape or rarefactive solitons) solitary waves exist. Ferdousi et al [35] reported that the critical value q_c dependent on the parameters such as positron and electron density and electron-positron temperature ratio and independent of the obliqueness. In our case, the critical value of nonextensivity is also a function of ion temperature. It becomes obvious from figure 2, where a plot of nonlinear coefficient A as a function of nonextensivity is displayed for three values of ion temperature. The critical value of nonextensivity i.e. q_c decreases with increase in ion temperature.



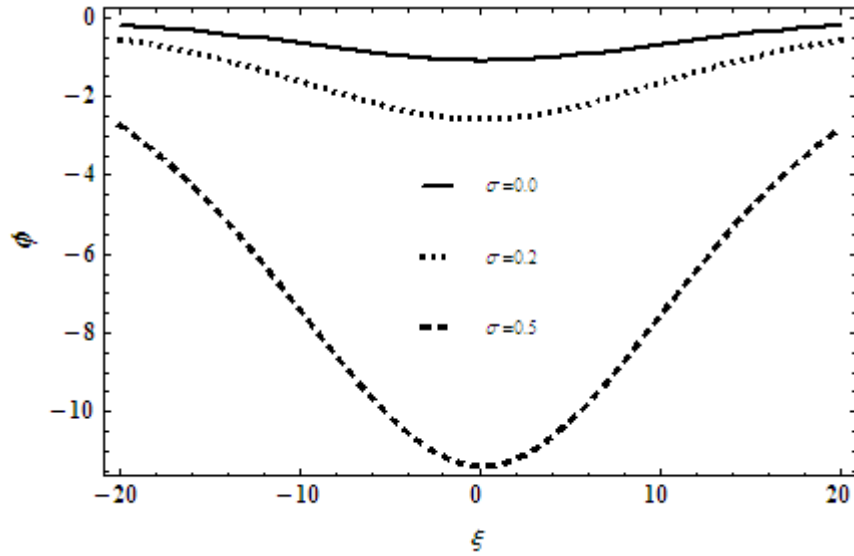
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Fig. 3. For $0 < q < 1$, variation of soliton solution ϕ as a function of ξ for three different values of $\sigma = 0.0$ (Solid Line), 0.3 (Dotted Line) and 0.5 (Dashed Line) with $\gamma = 30^\circ$, $\omega_0 = 0.40$ and $u_0 = 0.10$.



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Fig. 4. For $q > 1$, variation of soliton solution ϕ as a function of ξ for three different values of $\sigma = 0.0$ (Solid Line), 0.3 (Dotted Line) and 0.5 (Dashed Line) with $\gamma = 30^\circ$, $\omega_0 = 0.40$ and $u_0 = 0.10$.

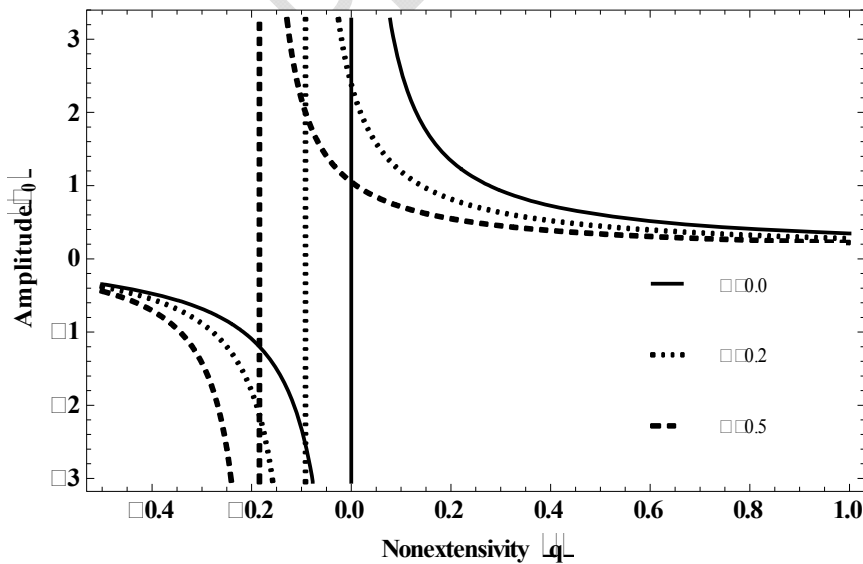


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Fig. 5. For $-1 < q < 0$, variation of soliton solution ϕ as a function of ξ for three different values of $\sigma = 0.0$ (Solid Line), 0.3 (Dotted Line) and 0.5 (Dashed Line) with $\gamma = 30^\circ$, $\omega_0 = 0.40$ and $u_0 = 0.10$.

190 In order to investigate the effect of ion temperature σ on the solitary wave profiles for three
191 different ranges of q viz. $0 < q < 1$, $1 < q < 2$ and $-1 < q < 0$, graphs have been displayed in Figures
192 3, 4 and 5 respectively with the parameters given in the captions. It is observed that the peak
193 amplitude of positive as well as negative potential structures decreases with increase in ion
194 temperature.

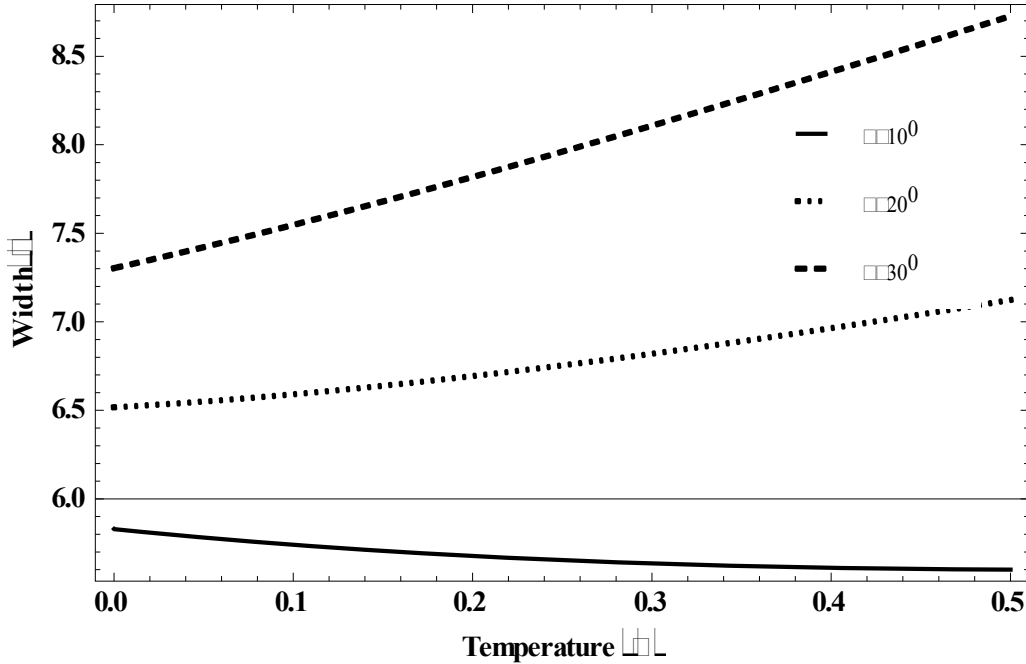
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197 **Fig. 6. Variation of soliton amplitude ϕ_0 as a function of q for three different values of**
198 **$\sigma = 0.0$ (Solid Line), 0.3 (Dotted Line) and 0.5 (Dashed Line) with $\gamma = 30^\circ$, $\omega_0 = 0.40$ and**
199 **$u_0 = 0.10$.**

200 This behavior also becomes succinct from the figure 6 where plot of peak amplitude of
 201 solitary waves have been displayed as a function of nonextensivity q for three different
 202 values of ion temperature. Hence ion temperature is an important parameter to shape the
 203 behavior of solitary structures. It is further observed that ion to electron temperature ratio (σ)
 204 has stronger influence on the soliton structures.



205

206 **Fig.7. Variation of soliton width δ as a function of σ for different values of $\gamma = 10^\circ$ (Solid**
 207 **Line), 20° (Dotted Line) and 30° (Dashed Line) with $q = 0.5$, $\omega_0 = 0.5$ and $u_0 = 0.10$.**

208

209 Figure 7 presents soliton width δ as a function of ion temperature (σ) at three different values
 210 obliqueness. This figure clearly shows the impact of ion temperature on the width of the
 211 solitary structures. Here solid line corresponds to $\gamma=10^\circ$, dotted line for $\gamma=20^\circ$ and dashed
 212 line for $\gamma=30^\circ$. Width decreases with σ for lower value of obliqueness, while it increases for
 213 higher value of obliqueness. Hence, introduction of finite ion temperature has significant
 214 effect here. It is evident that higher magnitudes of σ cause significant reduction in the
 215 amplitude of the solitary waves. But the soliton width increases with increase in σ , a result
 216 which is in agreement with Akhtar et al [28].

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218 4. CONCLUSION

219 The q -nonextensive electrons, strength of magnetic field, ion to electron temperature
 220 ratio and obliqueness of wave propagation significantly change the solitary structures. All our
 221 results becomes similar to that obtained by Ferdousi et. al [35] in the limit $\sigma=0$. However our
 222 main findings with special reference to ion temperature are summarized below:

223

- (i) Phase velocity of solitary wave increases with ion to electron temperature ratio.

- 224 (ii) The critical value of nonextensivity i.e. q_c decreases with increase in ion temperature.
225
226 (iii) The amplitude of positive as well as negative potential structures decreases with ion
227 temperature.
- 228 (iv) Width decreases with σ for lower value of obliqueness, while it increases for higher value
229 of obliqueness
230 The present investigation may help us to understanding the study of nonlinear electrostatic
231 waves propagating in astrophysical and laboratory plasmas.
232

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